



Model error representation in AROME-EPS

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AROME-EPS

Horizontal resolution: 2.5km

Vertical levels: 90

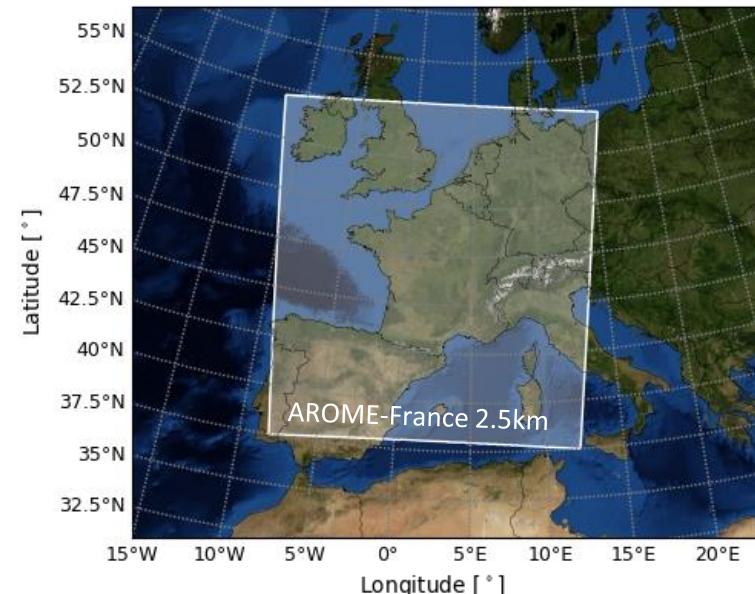
Members: 12 (16 members since July 2019)

Initial state: EDA

Lateral boundary coupling: ARPEGE-EPS (clustering)

Surface error: random surface parameters

Model error: SPPT



Implement other model error representations using parameters perturbation

Implementation steps of Parameters Perturbation methods

1

Determine
parameters to perturb

Radiation

Microphysic

Turbulence

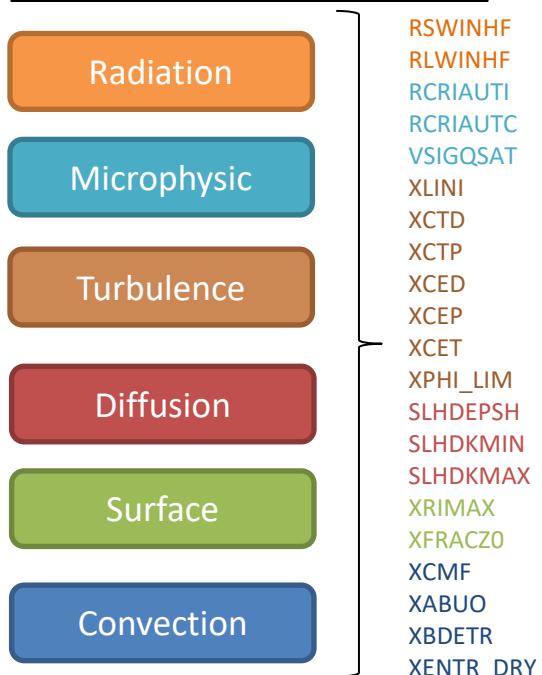
Diffusion

Surface

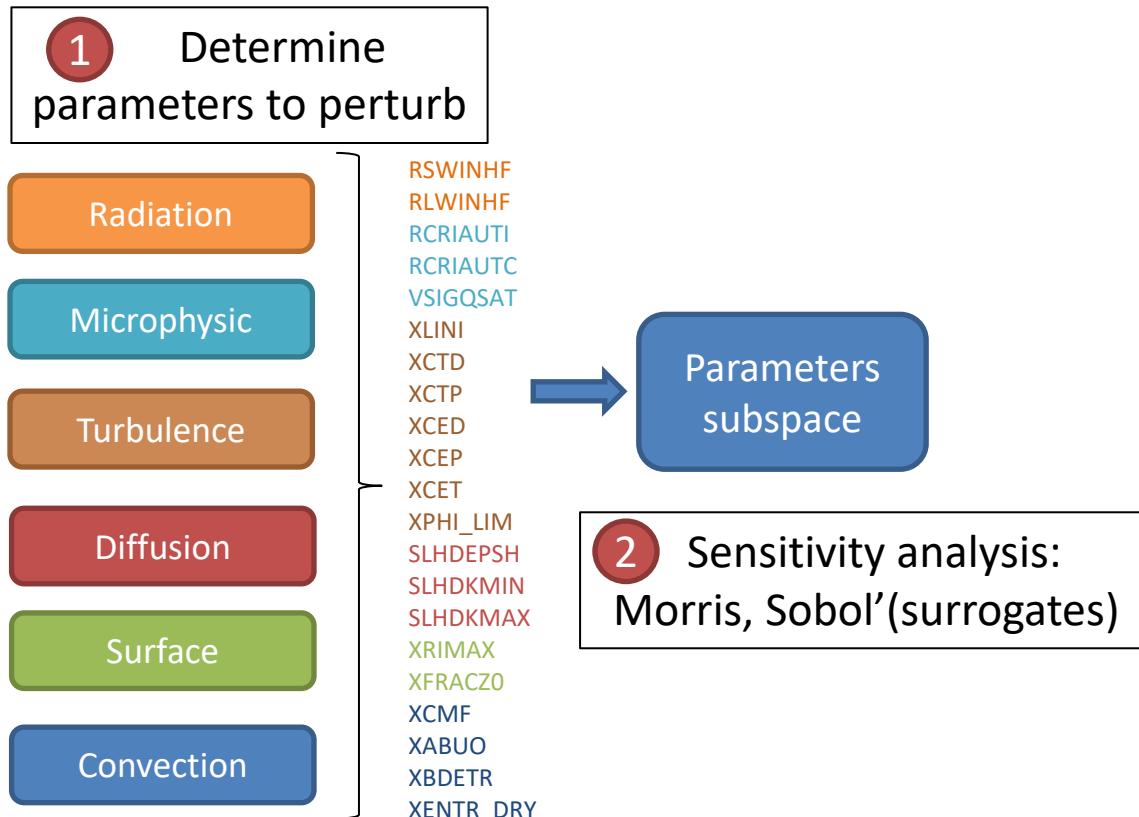
Convection

Implementation steps of Parameters Perturbation methods

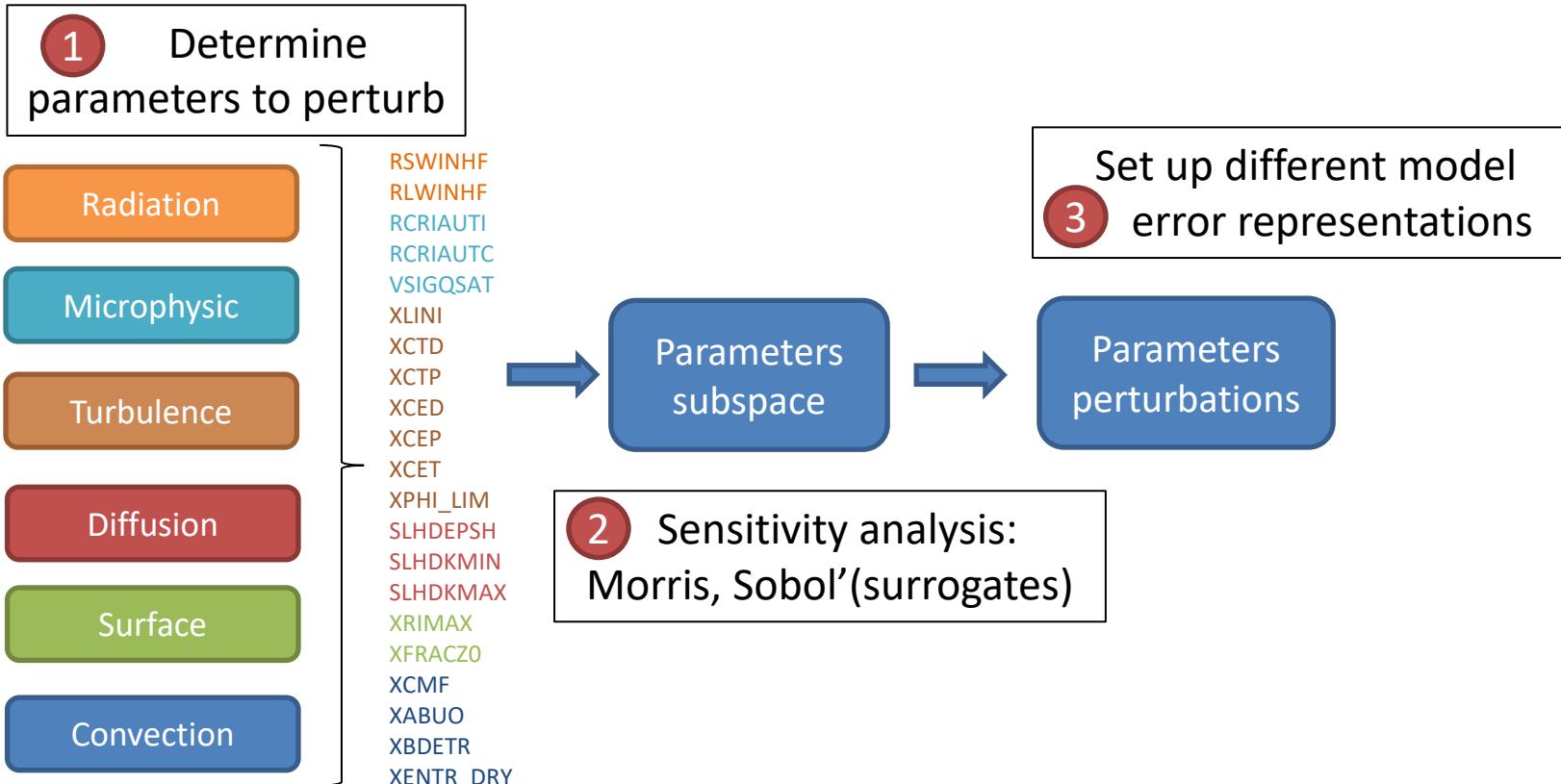
1 Determine parameters to perturb



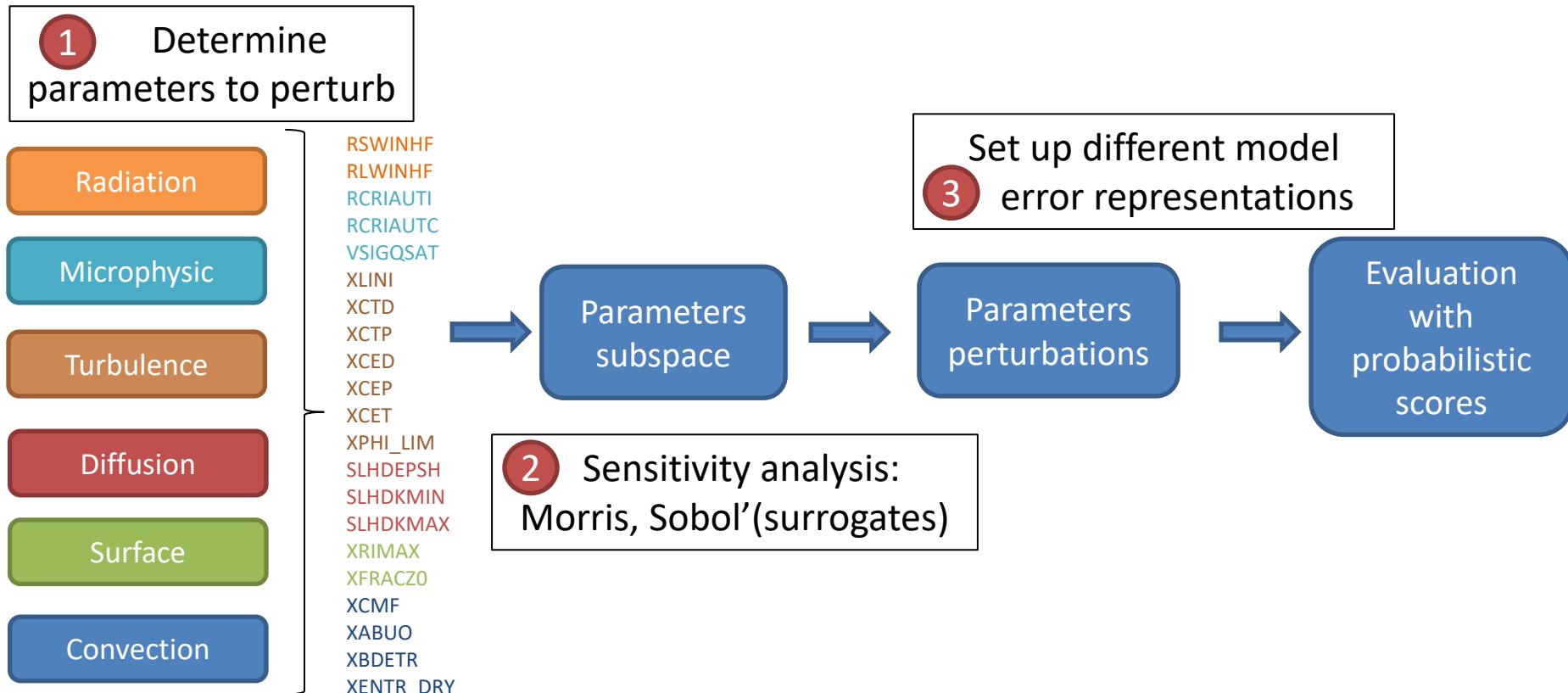
Implementation steps of Parameters Perturbation methods



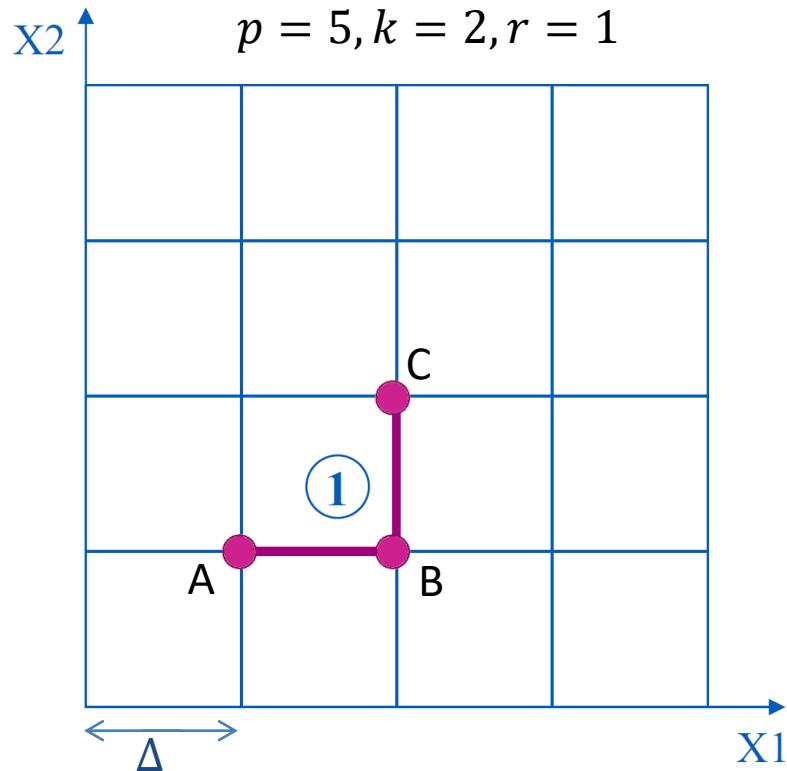
Implementation steps of Parameters Perturbation methods



Implementation steps of Parameters Perturbation methods



Morris Sensitivity Analysis: Theory

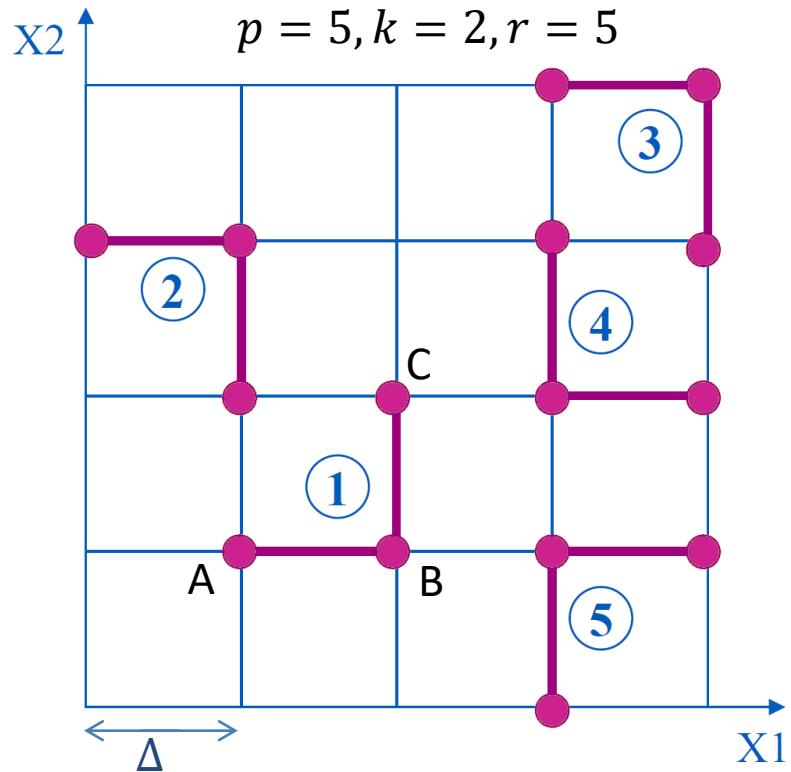


Modification of one parameter after another
-> One-At-a-Time design

Parameters: $X_1, X_2 (k = 2)$
Elementary effect for each parameter:

$$EE_1 = \frac{f(B) - f(A)}{\Delta} \quad EE_2 = \frac{f(C) - f(B)}{\Delta}$$

Morris Sensitivity Analysis: Theory



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$$EE_1 = \frac{f(B) - f(A)}{\Delta} \quad EE_2 = \frac{f(C) - f(B)}{\Delta}$$

Repeat: r times $\rightarrow r(k + 1)$ simulations

Mean of $|EE|$:

$$\mu_i^* = E(|EE_i|)$$

Standard deviation of EE:

$$\sigma_i = std(EE_i)$$

$\sqrt{\mu^{*2} + \sigma^2}$

Morris Sensitivity Analysis: Applications to AROME-EPS

For 3 seasons (31 days):

- Summer 2018:
01/05/2018 -> 30/07/2018: every 3 days
- Fall 2018:
01/10/2018 -> 30/11/2018: every 2 days
- Winter 2018-2019:
01/12/2018 -> 30/01/2019: every 2 days

Morris parameters: $r = 12, k = 21, p = 8$

$$\begin{aligned}r(k + 1) &= 12 \times (21 + 1) \\&= 264 \text{ simulations} \\&\quad (\times 3 \text{ seasons} \times 31 \text{ days}) \\&= 24\,552 \text{ forecasts}\end{aligned}$$

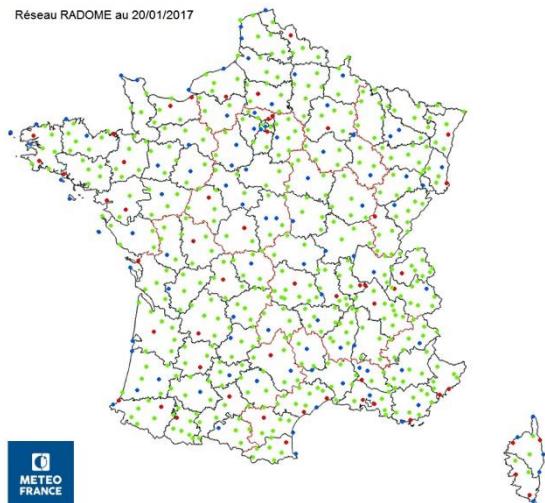
Reduce calculation cost:
Non-hydrostatic -> Hydrostatic
delete Predictor/Corrector Scheme

Morris Sensitivity Analysis: Applications to AROME-EPS

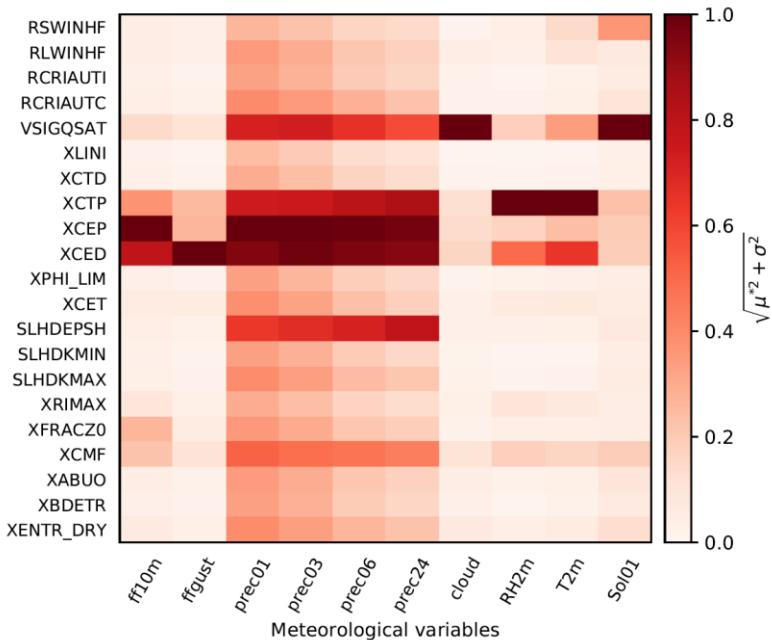
Which scalar outputs ?

- Mean meteorological field
- Deterministic Scores: Mean Bias, RMSE, MAE
-> RADOME & SYNOP observations

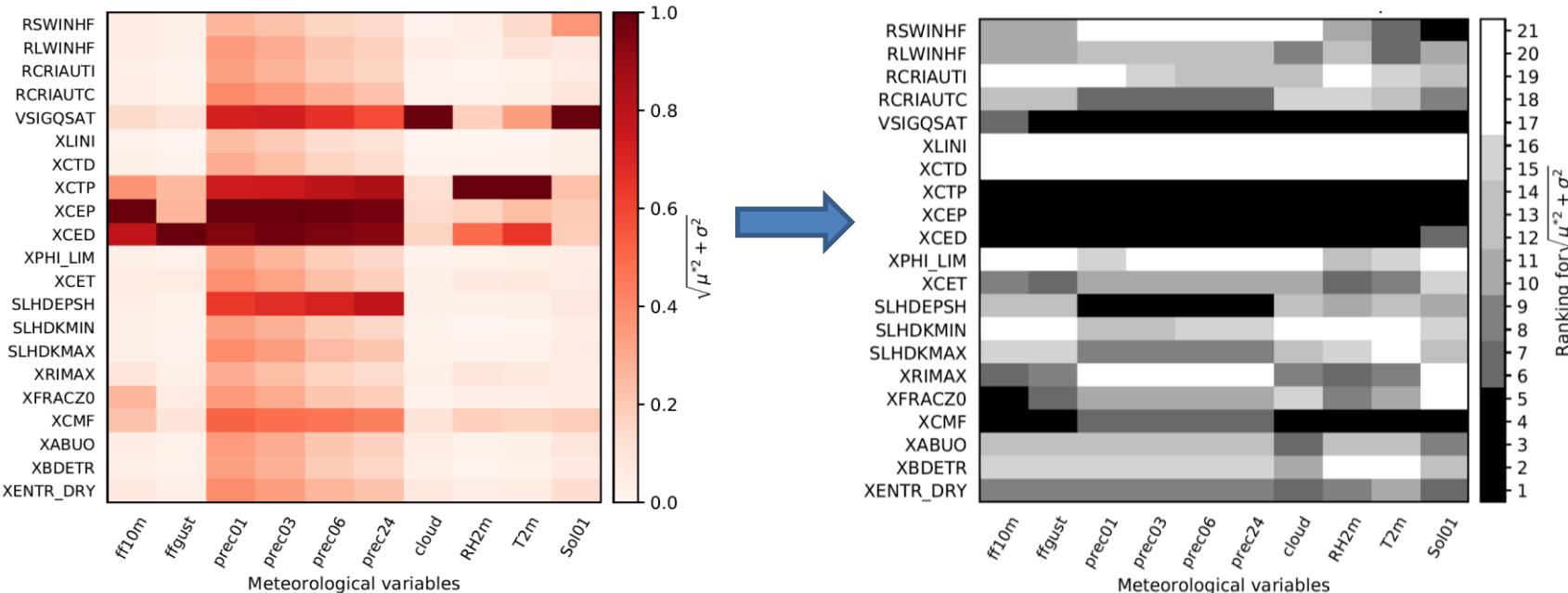
ff10m, ffgust, prec01, prec03, prec06,
prec24, tcc, RH2m, T2m, Solar01



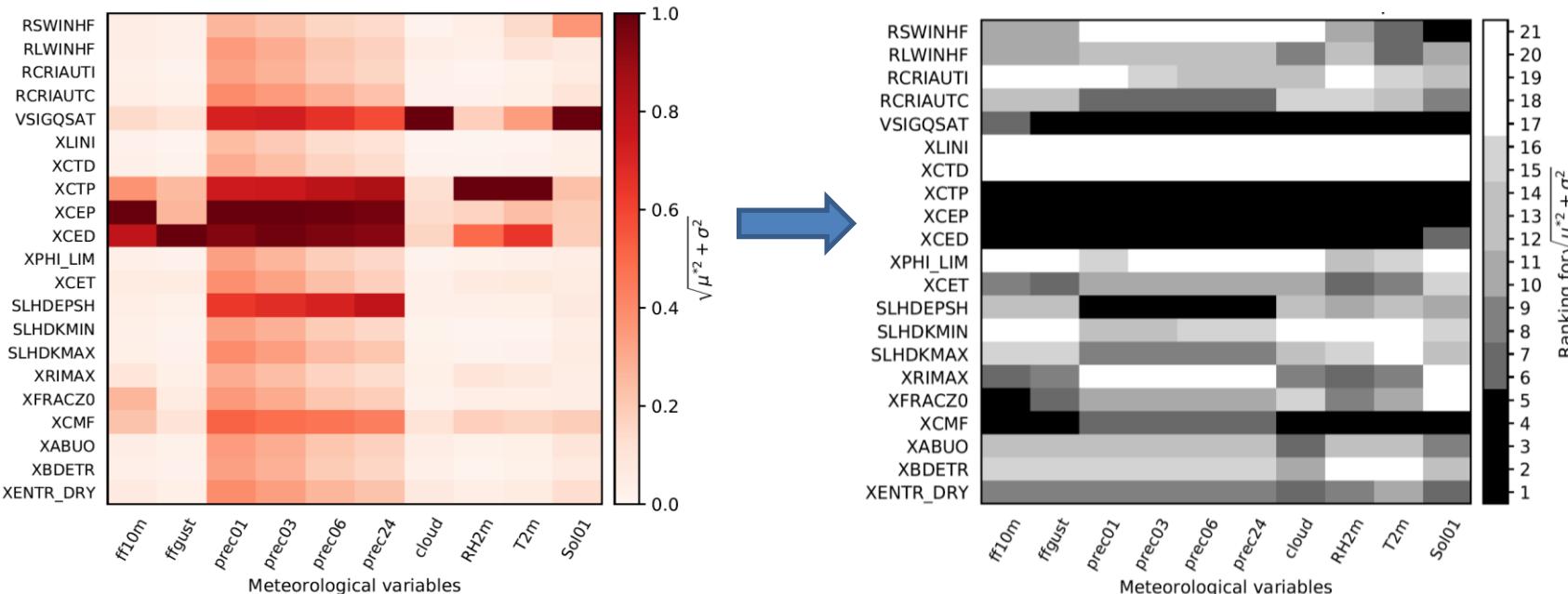
Mean parameters influence over 3 seasons and all model outputs



Mean parameters influence over 3 seasons and all model outputs



Mean parameters influence over 3 seasons and all model outputs



8 influential parameters : RSWINHF, VSIGQSAT, XCTP, XCEP, XCED, SLHDEPSH, XFRACZ0, XCMF

Model error representation

Perturbation parameter according tomembers	...dates	... forecast range	... space
Perturbed Parameter (PP)	✓			
Random Perturbed Parameter (RPP)	✓	✓		
Random Parameter (RP)	✓	✓	✓	
Stochastically Perturbed Parametrization (SPP)	✓	✓	✓	✓

Model error representation

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1000 Perturbed Parameter EPS generated from Morris forecasts

264 forecasts differ only in their parameter values

↳ **264-members EPS**

without initial, surface, lateral condition error representation
with model error representation

↳ **Perturbed Parameters method (PP)**

Comparison with the current SPPT approach

Problem: SPPT has 12 members \neq 264



Model error representation

Perturbation parameter according tomembers	...dates	... forecast range	... space
Perturbed Parameter (PP)	✓			
Random Perturbed Parameter (RPP)	✓	✓		
Random Parameter (RP)	✓	✓	✓	
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Random Perturbed Parameters (RPP)

for each member and date

RSWINHF
RLWINHF
RCRIAUTI
RCRIAUTC
VSIGQSAT
XLINI
XCTD
XCTP
XCED
XCEP
XCET
XPHI_LIM
SLHDEPSH
SLHDKMIN
SLHDKMAX
XRIMAX
XFRACZO
XCMF
XABUO
XBDETR
XENTR_DRY

Random draw of
parameter values from a
uniform distribution



Comparison between 5 different model error representations

Comparison of model error representations only: no initial, surface, lateral perturbations

Mean PP: mean PP score, average over the 1000 PP generated from Morris design

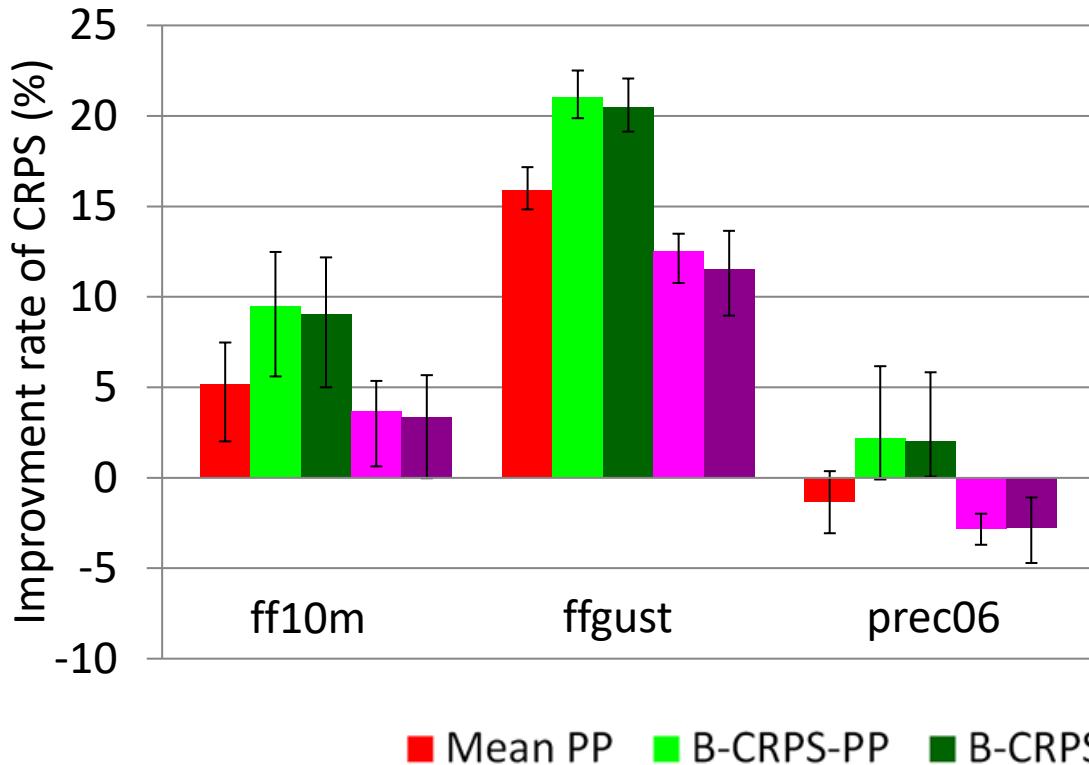
B-CRPS-PP: Best PP on 3 seasons, with the smallest CRPS on ff10m and prec03

B-CRPS-P8P: Best PP on 3 seasons, with the smallest CRPS on ff10m and prec03
with non-influential parameters put at their default values

RPP: Perturbation of all parameters for each member and date

RP8P: Perturbation of the 8 most influential parameters for each member and date

Mean CRPS improvment rate (average over 3 seasons and 45h lead time)



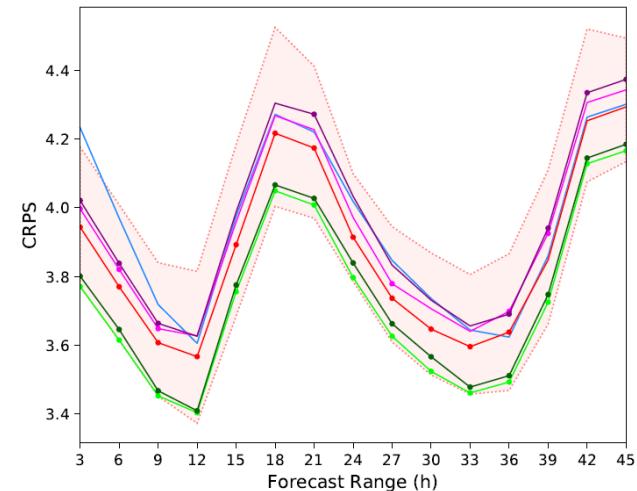
-> High improvement for ff10m and ffgust
-> Smaller improvement or degradation for prec06

Uncertainty
on seasons

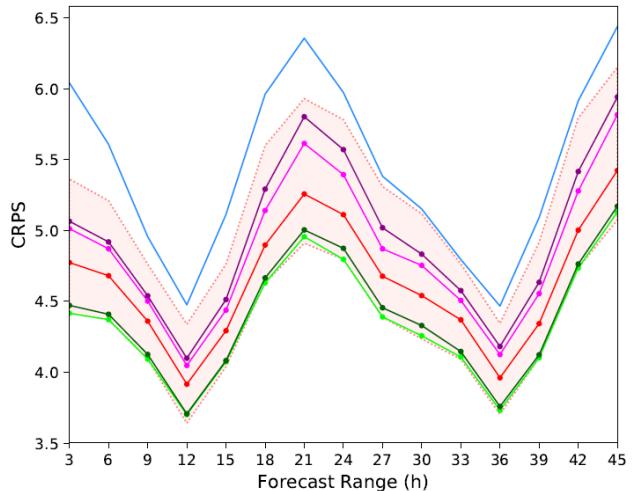
Remark: Higher improvement on winter than in summer and fall

CRPS during summer

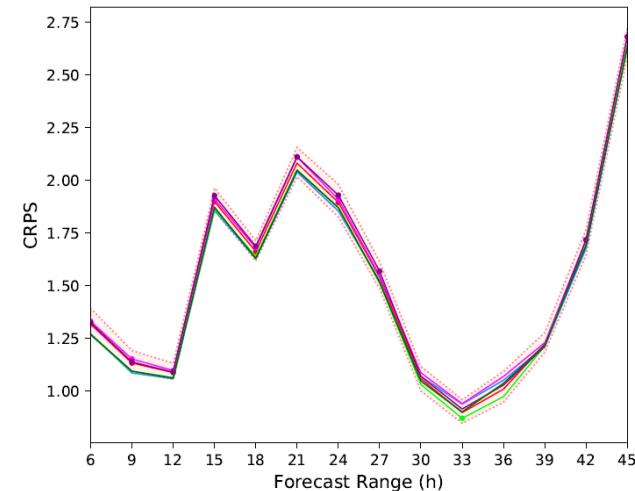
ff10m



ffgust

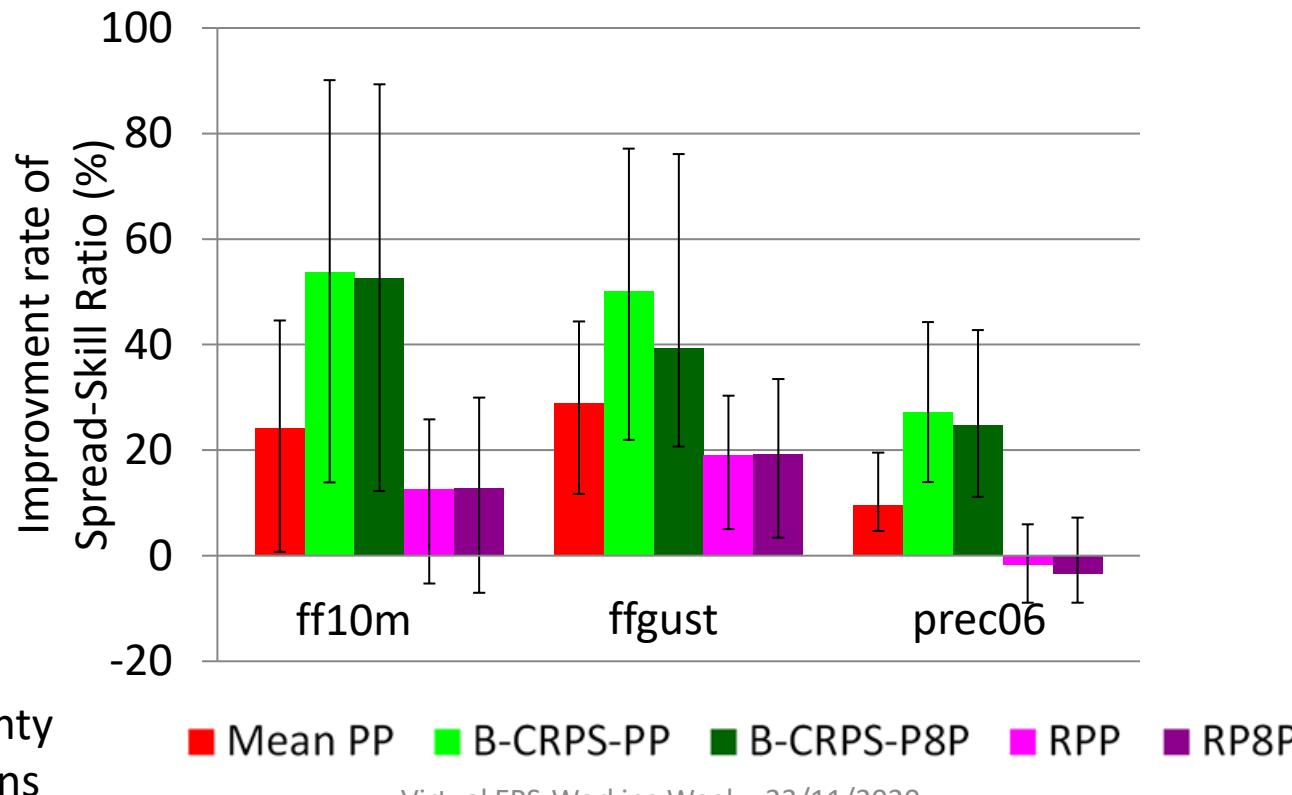


prec06



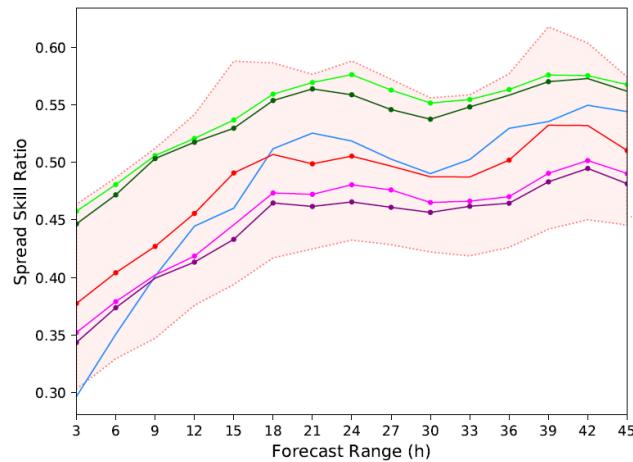
■ PP distribution ■ Mean PP ■ B-CRPS-PP ■ B-CRPS-P8P ■ RPP ■ RP8P ■ SPPT

Mean Spread-Skill ratio improvement rate (average over 3 seasons and 45h lead time)

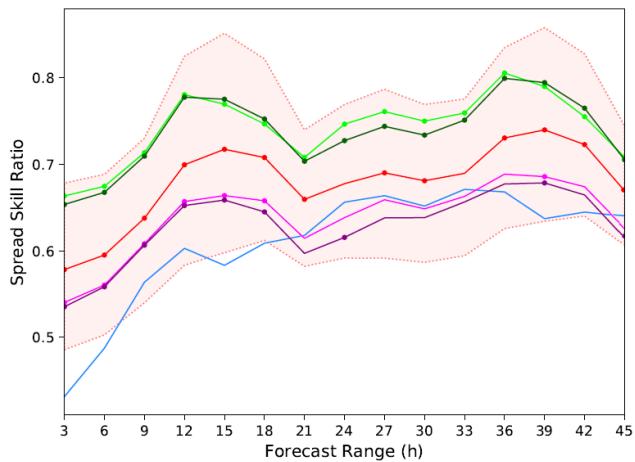


Spread-Skill Ratio on summer

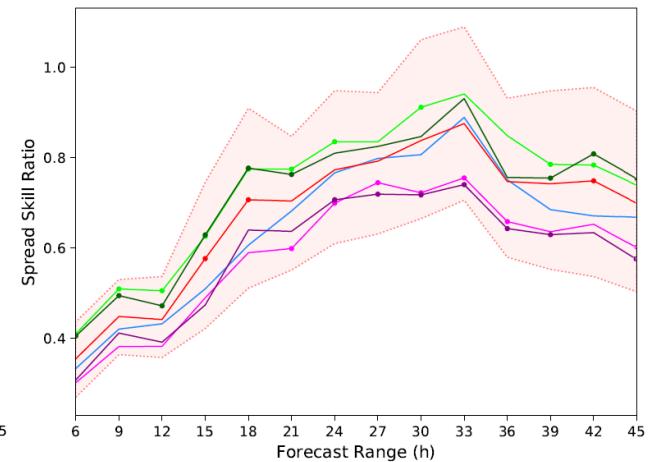
ff10m



ffgust

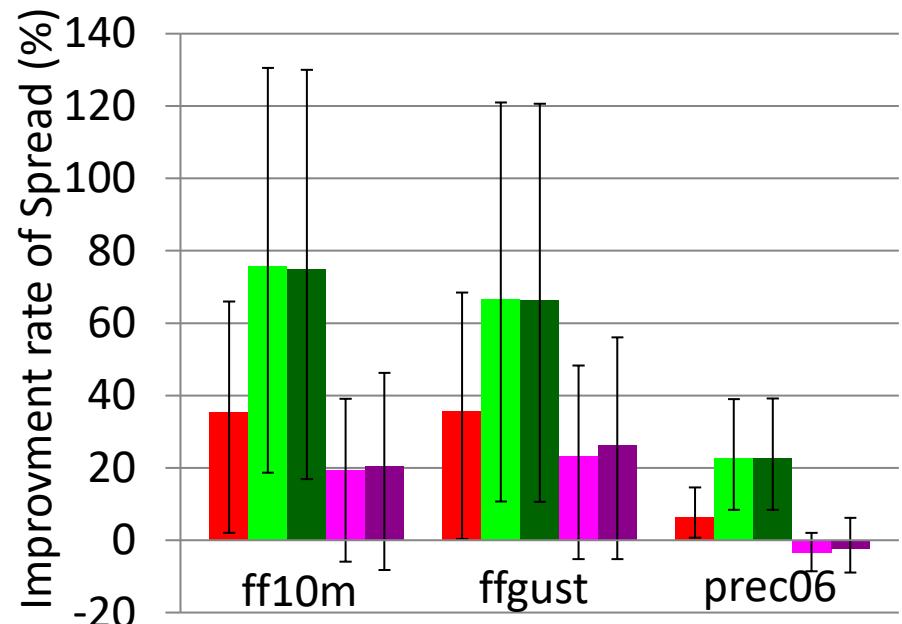


prec06



◻ PP distribution ■ Mean PP ■ B-CRPS-PP ■ B-CRPS-P8P ■ RPP ■ RP8P ■ SPPT

Mean Spread and Skill improvement rate (average over 3 seasons and 45h lead time)



Uncertainty
on seasons

■ Mean PP ■ B-CRPS-PP ■ B-CRPS-P8P ■ RPP ■ RP8P

Conclusion

Generally: **PP** and **RPP** improve scores compared to SPPT in particular for ffgust and on winter

B-CRPS-PP: optimized for CRPS but still good for other scores

B-CRPS-P8P: similar results than **B-CRPS-PP**

RPP:

- smaller improvement
- degrades prec06 scores

RP8P: similar results than **RPP**

PP and RPP approaches must be optimized to be performant
-> Reduction to 8 parameters

Improve B-CRPS-PP

Problem: PP generated from Morris forecasts sample only 8 parameter values

- Need to sample the whole parameters space
- High computational cost

→ Emulator

Model:



Model approximation
(emulator):



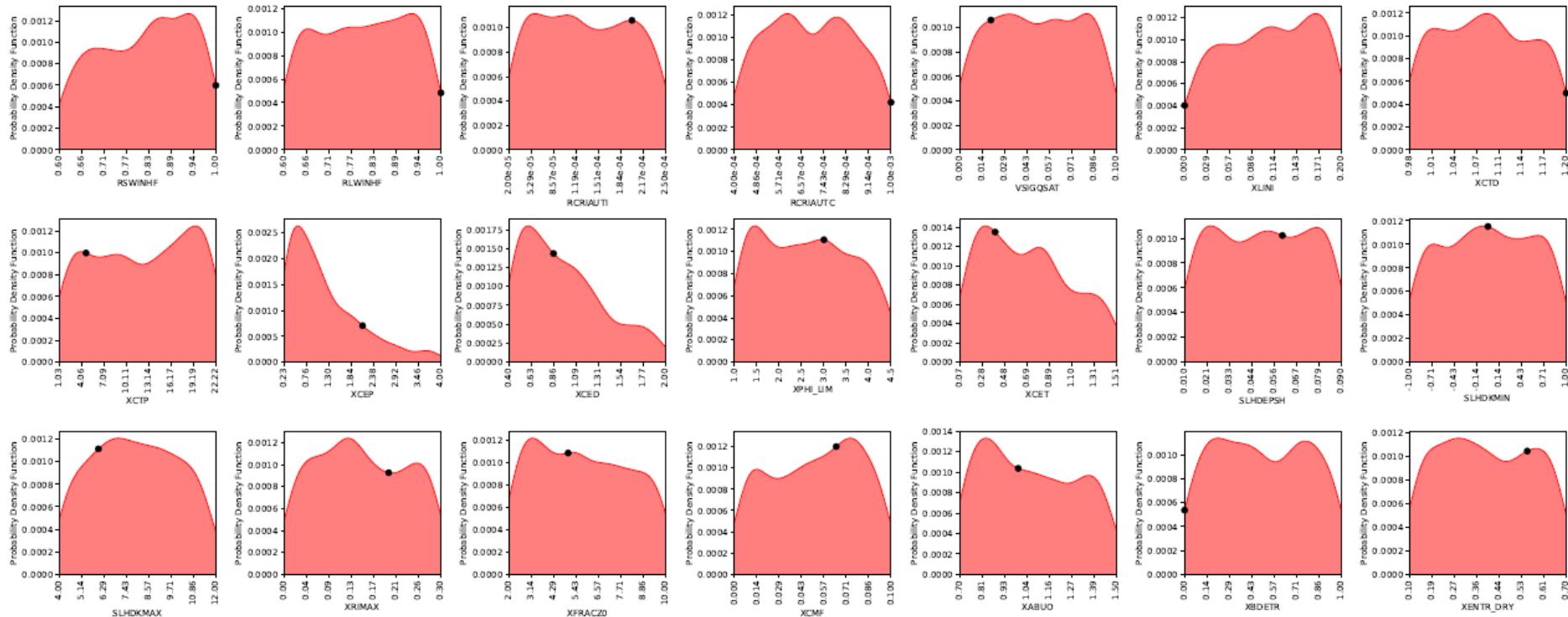
Gaussian Process Regression

A CRPS-emulator in order to find the best PP

- 1) Test different Gaussian Process Regression parameters (covariance kernel, number of input data, ...)
 - Use a Matern 3/2 covariance function
 - + increase data number by switching members : 1 000 -> 40 000 CRPS
- 2) Emulator trained on 70% of 40 000 CRPS values
- 3) Validation error (on 30% remained data): 0,74% -> validated
- 4) CRPS prediction of 500 000 inputs, generated from a Monte-Carlo sampling
 - The smallest CRPS -> new Best CRPS PP -> B-eCRPS-PP
 - 50 smallest CRPS -> 50 x 12 physical parameters values

→ Parameter distributions

PDF of each parameter



Future Works

Sensitivity Analysis:

- Scientific article redaction

PP:

- Compute scores for B-eCRPS-PP

RPP:

- Optimization with PDF obtained from emulator

SPP:

- Use PDF from emulator

Evaluate perturbed parameters approaches in the full EPS
Combination with SPPT



Thanks for your attention