

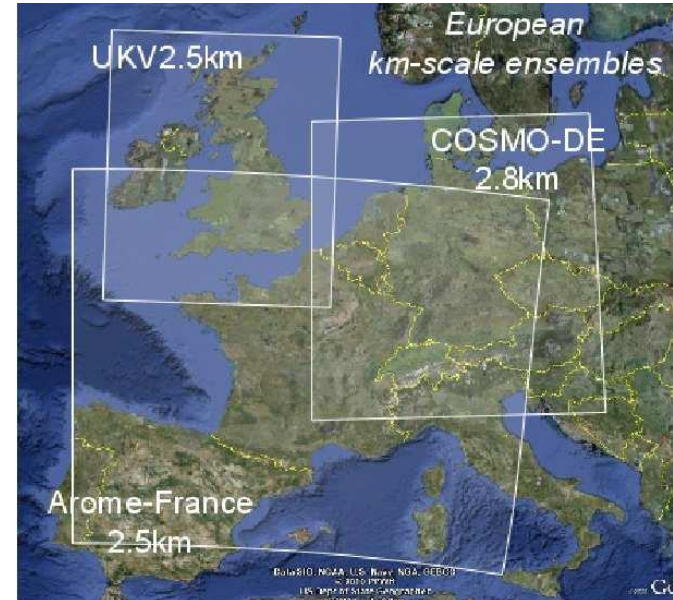
Representation of model errors in AROME-EPS

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AROME-EPS

- Horizontal resolution : 2,5km
- 90 vertical levels
- 12 members (16 members since July 2019)
- Initial state : EDA
- Lateral boundary coupling : ARPEGE-EPS (clustering)
- Random surface perturbations
- Model error representation : SPPT



Add another model error representation : SPP

SPP implementation steps

1 Determine
parameters to perturb

Radiation

Microphysic

Turbulence

Diffusion

Surface

Convection

SPP implementation steps

1 Determine parameters to perturb

Radiation

RSWINHF
RLWINHF
RCRIAUTI
RCRIAUTC
VSIQSAT

Microphysic

XLINI
XCTD
XCTP
XCED
XCEP
XCET

Turbulence

Diffusion

XPHI_LIM
SLHDEPSH
SLHDKMIN
SLHDKMAX

Surface

XRIMAX
XFRACZO

Convection

XCMF
XABUO
XBDETR
XENTR_DRY

SPP implementation steps

1 Determine parameters to perturb

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Surface

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- RSWINHF
- RLWINHF
- RCRIAUTI
- RCRIAUTC
- VSIGQSAT
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- XENTR_DRY



Parameters subspace

2 Sensitivity analysis :
Morris, Sobol'(surrogates)

SPP implementation steps

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Parameters subspace

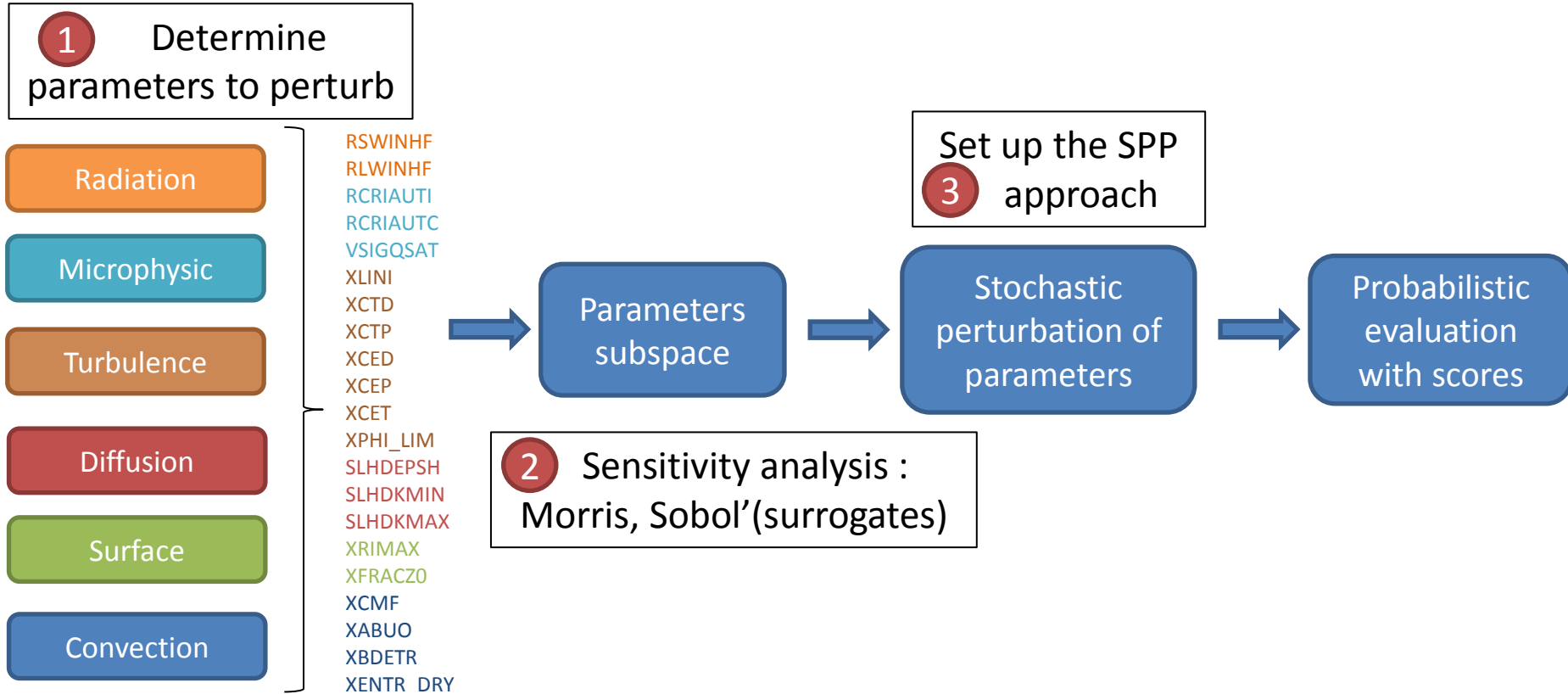


Stochastic perturbation of parameters

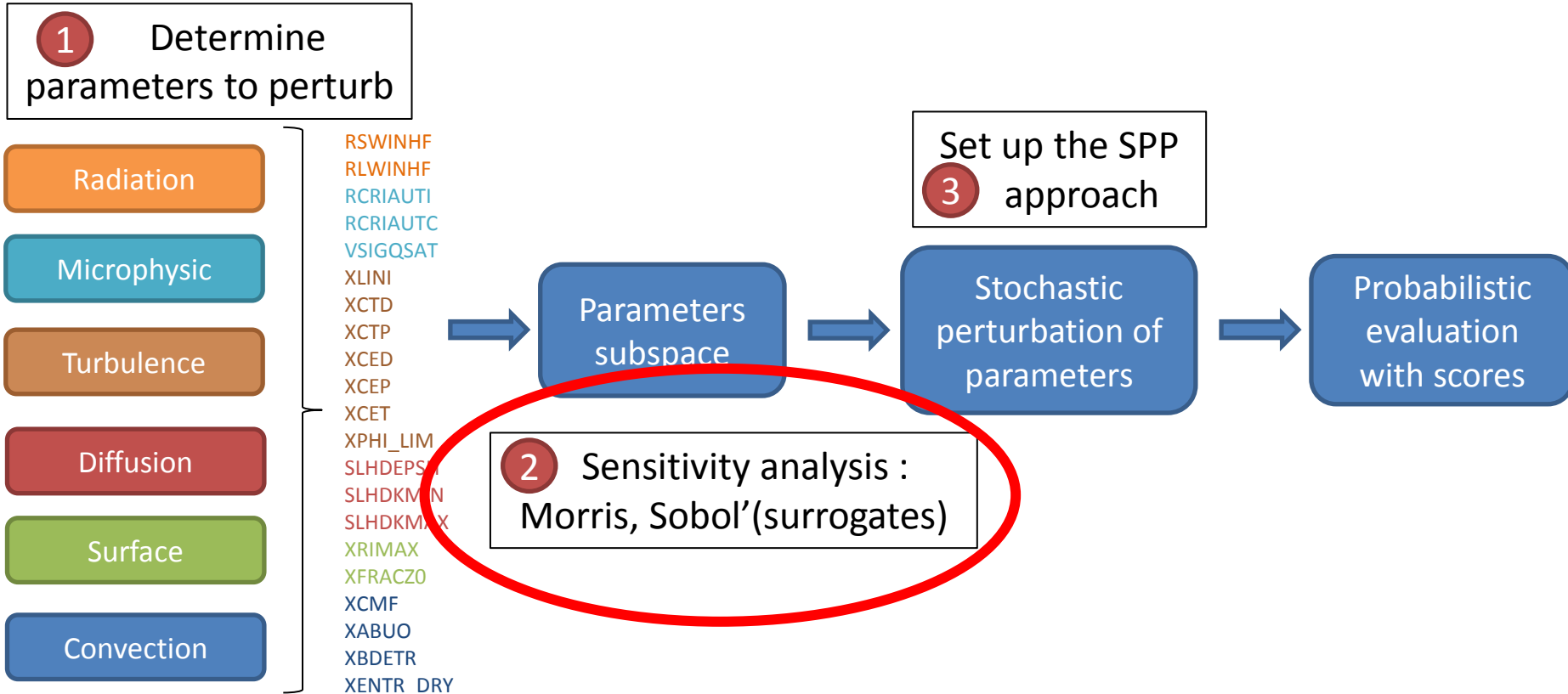
3 Set up the SPP approach

2 Sensitivity analysis :
Morris, Sobol'(surrogates)

SPP implementation steps



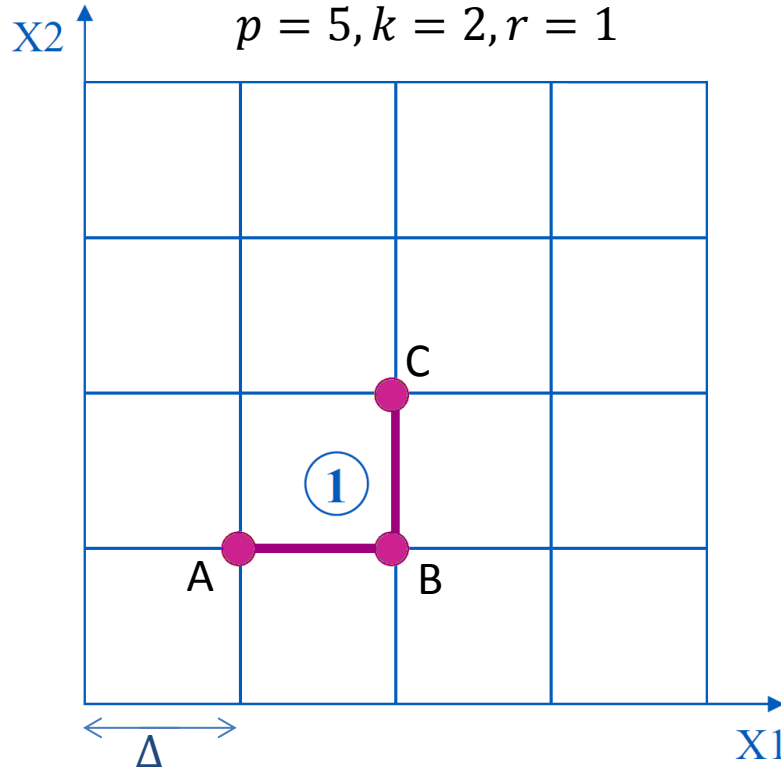
SPP implementation steps



Overview

- Morris Analysis : Theory
- Morris Analysis : Application
- Morris Analysis : Results
- Perturbed Parameters
- Future Works

Morris Analysis : Theory



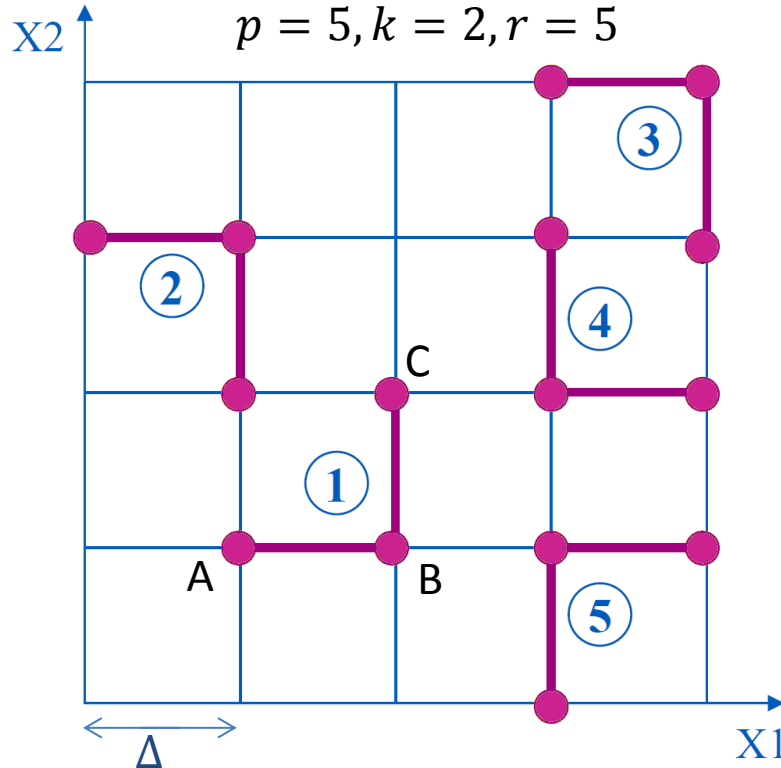
Parameters : X_1, X_2 ($k = 2$)

Modification of one parameter after another
→ One-At-a-Time design

Elementary effect for each parameter:

$$EE_1 = \frac{f(B) - f(A)}{\Delta} \quad EE_2 = \frac{f(C) - f(B)}{\Delta}$$

Morris Analysis : Theory



Parameters : X_1, X_2 ($k = 2$)

Modification of one parameter after another
 -> One-At-a-Time design

Elementary effect for each parameter:

$$EE_1 = \frac{f(B) - f(A)}{\Delta} \quad EE_2 = \frac{f(C) - f(B)}{\Delta}$$

Repeat : r times $\rightarrow r(k + 1)$ simulations

Mean of $|EE|$:

$$\mu_i^* = E(|EE_i|)$$

Standard deviation of EE :

$$\sigma_i = std(EE_i)$$

$$\sqrt{\mu^{*2} + \sigma^2}$$

Morris Analysis : Application

For 3 seasons (31 days) :

- **Summer 2018 :**
01/05/2018 -> 30/07/2018 : every 3 days
- **Fall 2018 :**
01/10/2018 -> 30/11/2018 : every 2 days
- **Winter 2018-2019 :**
01/12/2018 -> 30/01/2019 : every 2 days

Morris parameters : $r = 12, k = 21, p = 8$

$$\begin{aligned}r(k + 1) &= 12 \times (21 + 1) \\ &= 264 \text{ simulations} \\ &\quad (\times 3 \text{ seasons} \times 31 \text{ days}) \\ &= 24\,552 \text{ forecasts}\end{aligned}$$

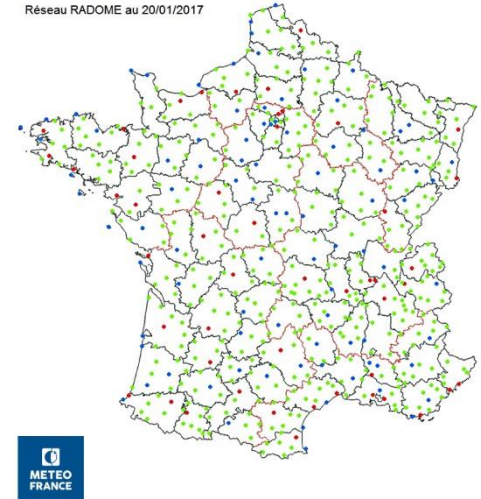
Reduce calculation cost :
Non-hydrostatic -> Hydrostatic
delete Predictor/Corrector Scheme

Morris Analysis : Application

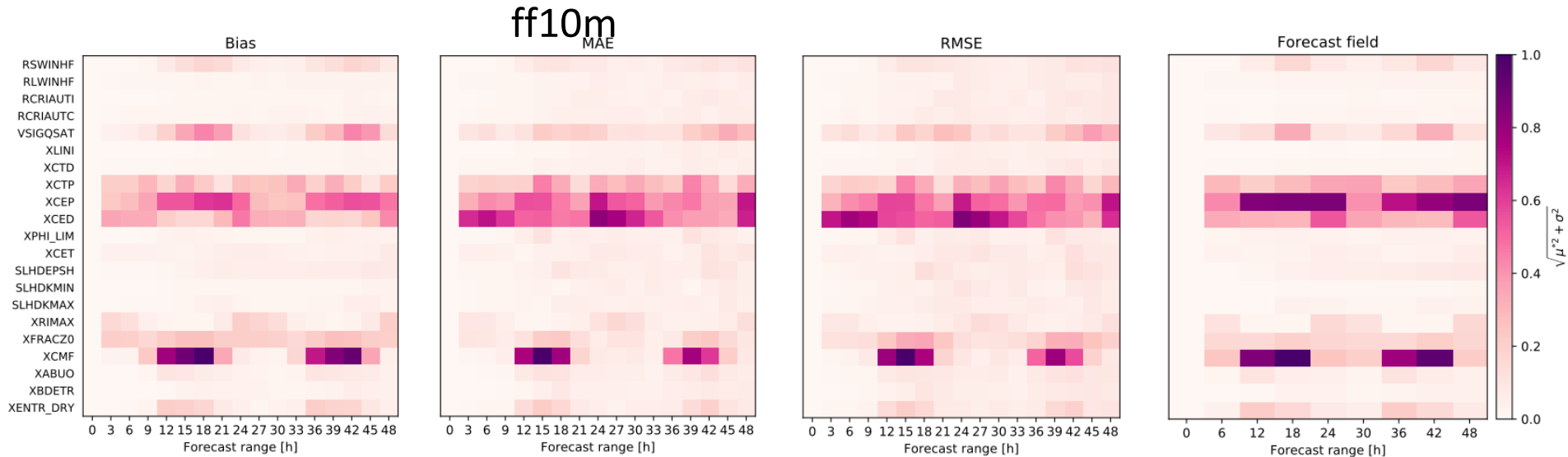
Which scalar outputs ?

- **Mean Meteorological variables**
 - > **ff10m**, ffgust, prec01, prec03, prec06, prec24, tcc, RH2m, T2m, Solar01
- **Deterministic Scores** : Mean Bias, RMSE, MAE
 - > RADOME & SYNOP observations

Réseau RADOME au 20/01/2017



$$Morris \left(\frac{1}{N_d} \sum_d \left(\frac{1}{N_x} \sum_x f(x, d, h) \right) \right)$$



Influent parameters : RSWINHF, VSIGQSAT, XCTP, XCEP, XCED, XRIMAX,
XFRACZO, XCMF, XENTR_DRY

SUMMER

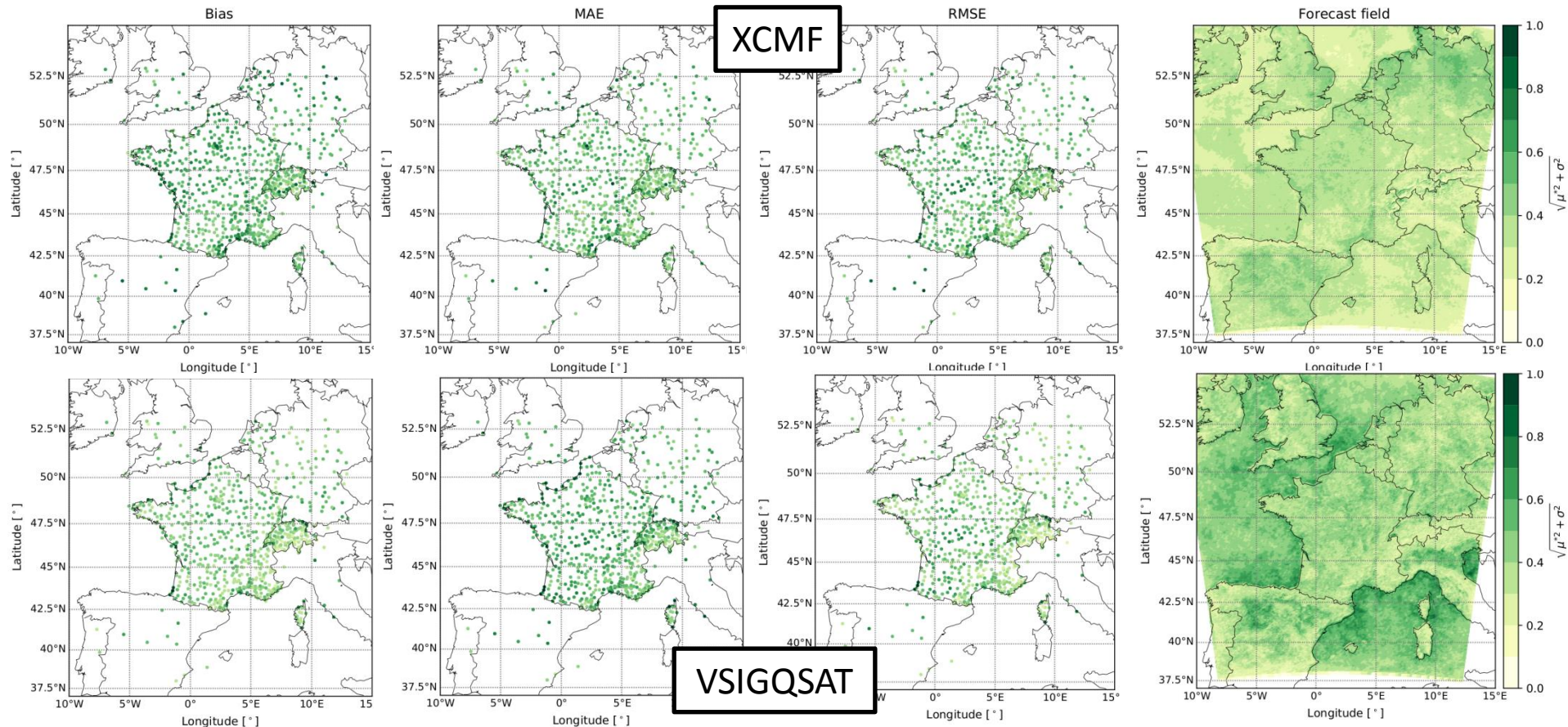
$$\frac{1}{N_h} \sum_h Morris \left(\frac{1}{N_d} \sum_d (f(x, d, h)) \right)$$



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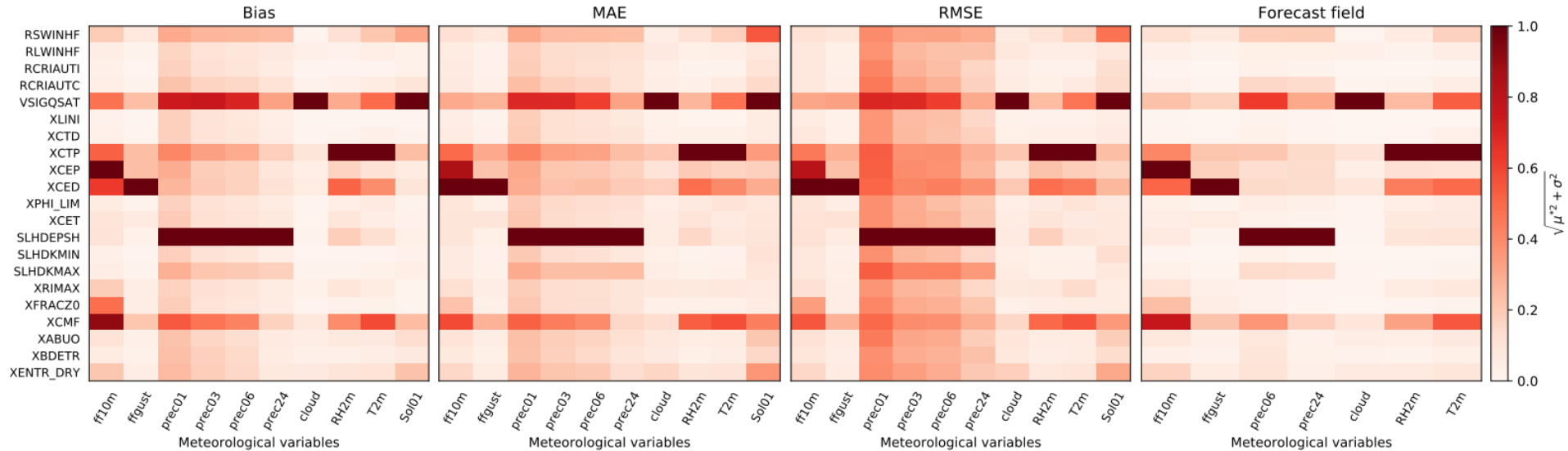


METEO FRANCE

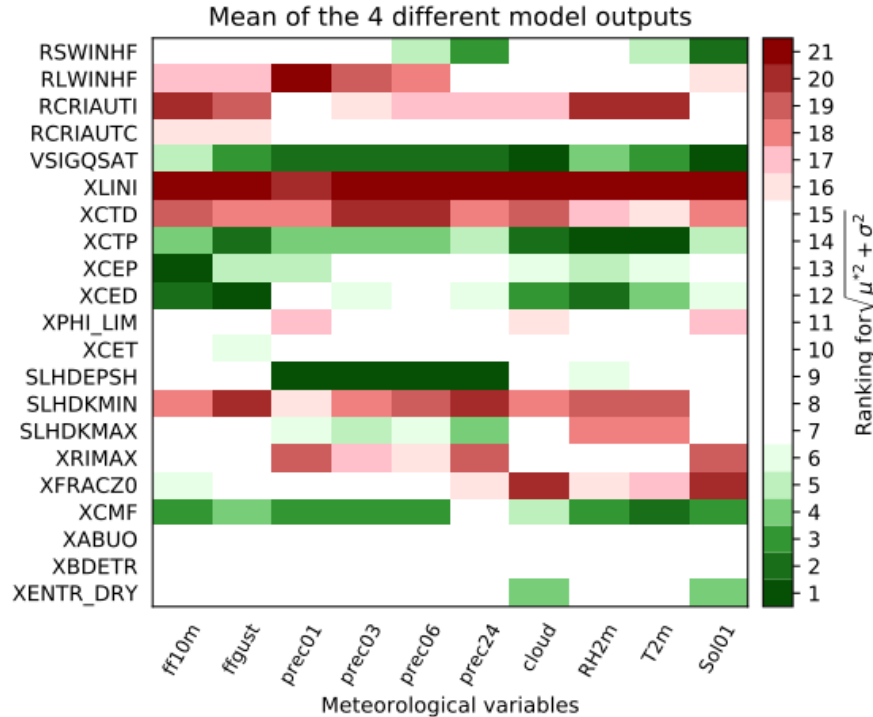


SUMMER

$$\frac{1}{N_h} \sum_h Morris \left(\frac{1}{N_d} \sum_d \left(\frac{1}{N_x} \sum_x f(x, d, h) \right) \right)$$



Ranking



Influent parameter

Non-influent parameter

Delete RLWINHF, RCRIAUTI,
XLINI, XCTD, SLHDKMIN ?

Morris -> Perturbed Parameters

- 264 forecasts differ only in their parameters values

↳ **264-members EPS**

without initial, surface, lateral condition error representation
with model error representation

↳ Fixed Perturbed Parameters method (PP)

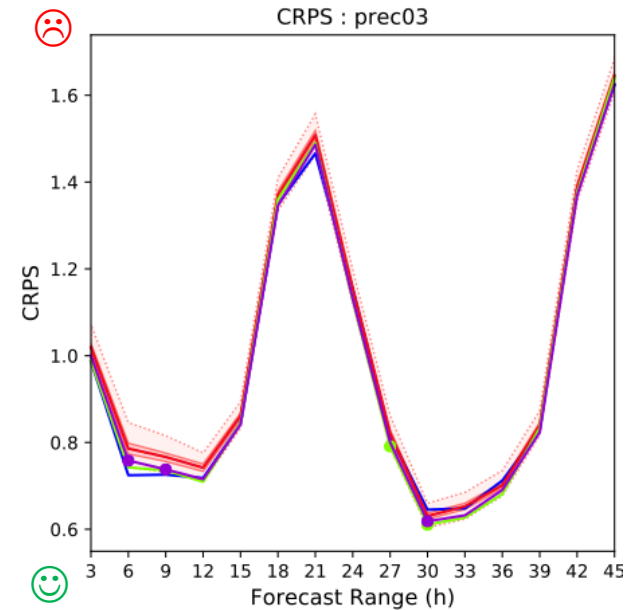
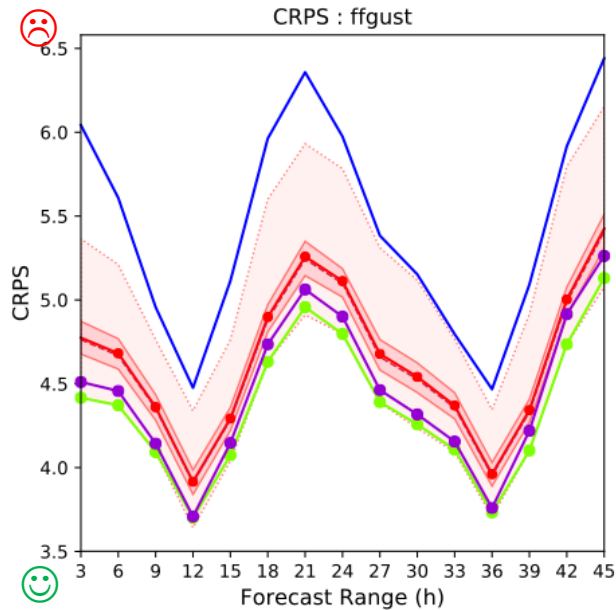
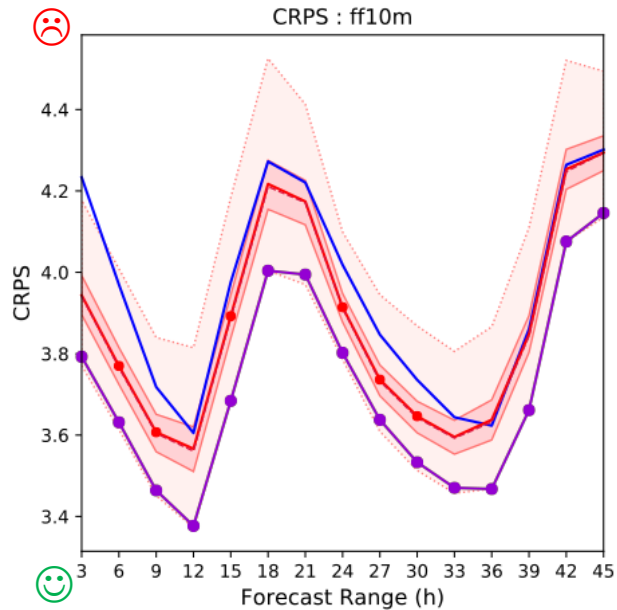
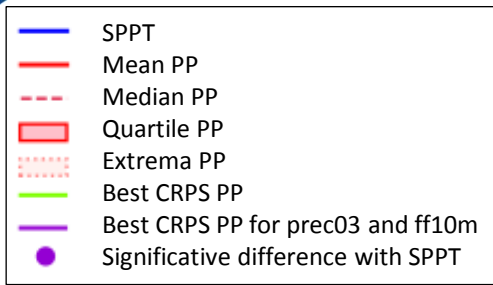
- Comparison with the current SPPT approach

Problem : SPPT has 12 members \neq 264

1000 random draws of 12 forecasts amongst the 264 forecasts

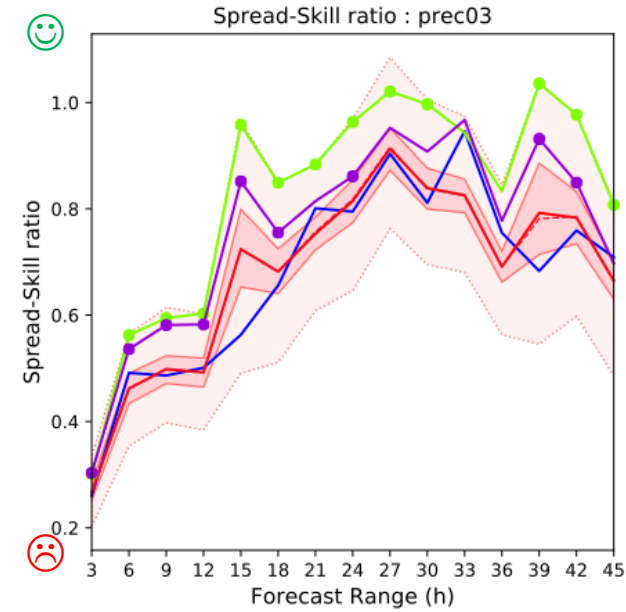
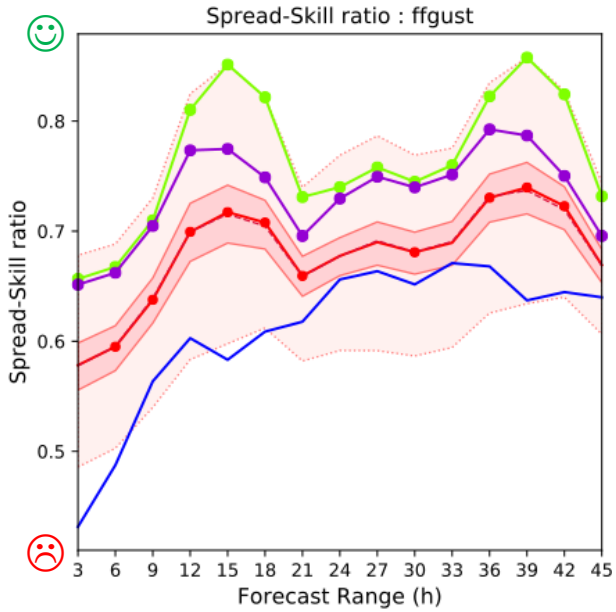
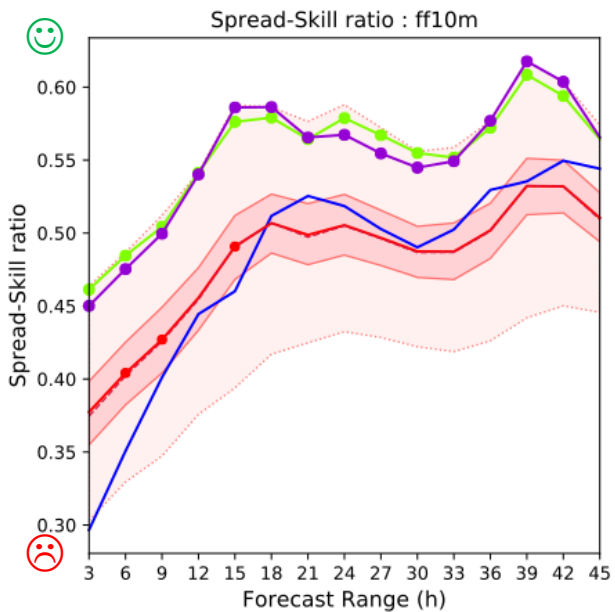
➔ create 1000 PP with 12 members

CRPS



Spread-skill ratio

- SPPT
- Mean PP
- - - Median PP
- ▭ Quartile PP
- ⋯ Extrema PP
- Best Spread-skill Ratio PP
- Best CRPS PP for prec03 and ff10m
- Significant difference with SPPT



Future Works

- Morris Analysis :
 - Continue to analyse results
 - Comparison with other season
- PP :
 - Understand difference between best/worst PP (preferred parameter value, interactions between parameter,...)
 - Evaluate the best PP in the full EPS
 - Reduce the set of parameter according to the Morris study
 - Combination PP/SPPT
 - Make the same study for other season
- SPP :
 - Use information from the Morris Analysis and the PP study to implement SPP in AROME-EPS
 - Test different parameter distribution, time and space correlation, ...
 - Comparison with the best PP

Thanks for your attention